Rotational analysis of congested spectra: Application of population labeling to the Bal C–X system

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Rotational analysis of congested spectra: Application of population labeling to the Bal C-X system^{a)}

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Rotational analysis of the electronic spectra of heavy diatomic radicals is complicated by the large density of lines belonging to the numerous branches and bands. The alkaline earth halides, for example, have spectra in which individual lines are blended within their Doppler widths, ^{1,2} frustrating conventional high-resolution techniques. One means of overcoming this problem is laser excitation spectroscopy where the molecular fluorescence is selectively detected using a monochromator or spectrograph.³⁻⁵ An alternative possibility, which only uses lasers, is the optical-optical double resonance method of lower level population labeling, ⁶ in conjunction with molecular-beam Doppler reduction.^{7,8} We illustrate the power of the population labeling technique by applying it to obtain a preliminary rotational analysis of the (0, 0) band of the BaI $C^2\Pi - X^2\Sigma^+$ system.

Figure 1 shows a schematic diagram of the experiment. Two single-mode cw dye lasers (Coherent Model 599-21) L1 and L2, modulated at frequencies ω_1 and ω_2 , intersect a molecular beam of BaI. Laser L1 is scanned through the $C_2({}^2\Pi_{3/2})-X(0,0)$ rotational manifold near 538 nm, while L2 is fixed on a selected transition in the $C_1({}^2\Pi_{1/2})-X(0,0)$ band near 561 nm.

The resulting fluorescence from each spin orbit component of the C-X band system is detected independently by a filter-photomultiplier combination. Lock-in 1 demodulates the excitation spectrum from the scanning laser L1, while lock-in 3 monitors the fluorescence signal resulting from the fixed laser L2. Lock-in 2 records the fluorescence signal from the fixed laser L2 modulated at the chopping frequency ω_1 of L1, thereby



FIG. 1. Schematic of the optical-optical double resonance experiment: F=filter; PMT=photomultiplier; C=chopper; M=mirror.





generating the double resonance signal. Note that in this configuration, the saturating laser is scanned and the probe laser is fixed.

Figure 2 shows typical observed spectra. Figure 2(a) is a portion of the C_2-X excitation spectrum, while Fig. 2(b) is the double resonance spectrum of the same scan. The relevant level diagram is reproduced in Fig. 2(c). A double resonance signal results from a population change in the labeled level (in this case, $J'' = 9\frac{1}{2}$) probed by laser L2. Negative signals result when lasers L1 and L2 excite transitions with the same lower level, e.g., $P_2(9\frac{1}{2})$, $Q_2(9\frac{1}{2})$. Positive signals occur when L1 excites a transition terminating on an upper level optically connected to the labeled level, e.g., pump $P_2(11\frac{1}{2})$ and populate $J'' = 9\frac{1}{2}$ through fluorescence via $R_2(9\frac{1}{2})$.

With the BaI source operating at 1250 K so that $J_{max} \approx 130$, low J lines are weak and appear usually blended with higher J lines in the excitation spectrum. However, due to the selective detection inherent in the double resonance experiment, the low J lines are readily identified [compare Figs. 2(a) and 2(b)]. Moreover, the phase relations of the double resonance lines yield direct identification of all six of the rotational branches, including the sign of the ground state spin-rotation constant, even before J assignments are made. The origin of each branch is then found by recording the double resonance spectrum for successively lower J values, permitting a complete rotational analysis of the band. Using combination differences⁹ between various double resonance transitions, we report the preliminary rotational constants $B_0' = 0.02678$ cm⁻¹ and $B_0' = 0.02670$ cm⁻¹. A full rotational analysis of the (0, 0) band is in progress.

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NOTES

A note on the transition dipole moment of alkali dimers

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Recently there has been considerable interest in electronic transition probabilities of alkali dimers. 1-10 These probabilities are proportional to D^2 , where D is the transition dipole moment. Since alkali dimers are weakly bound molecules their value of D^2 equals roughly twice the atomic value when the correlated atomic transition is considered. It has been found from pseudopo- · tential and ab initio calculations, 1-5 and from experiments, 6,7 that D depends in fact on the internuclear distance R, typical variations being tens of percents. It is the purpose of this Note to show that for a number of alkali transitions this variation D(R) is quantitatively described by the R dependence of the dimer transition frequency $\nu(\mathbf{R})$, assuming constant, atomic oscillator strengths [see Eq. (1)]. This aspect seems to have gone unnoticed so far.

In Figs. 1(a) and (b) the points give D(R) values calculated for the $X^{1}\Sigma_{e}^{*} - A^{1}\Sigma_{u}^{*}$ and $X^{1}\Sigma_{e}^{*} - B^{1}\Pi_{u}$ transitions of Li₂ and Na₂ by Konowalow, Rosenkrantz, and Hochhauser¹ (KRH), and Stevens, Hessel, Bertoncini, and Wahl² (SHBW), using *ab initio* methods, and by Watson³ (W), and Uzer, Watson, and Dalgarno⁴ (UWD), using pseudopotential methods. Experimental data are available only for the Na₂ $X^{1}\Sigma_{e}^{*} - B^{1}\Pi_{u}$ transition^{6,7}; they agree well with the SHBW calculations. The drawn curves in Figs. 1(a) and (b) represent D(R) as obtained from the conventional definition of the oscillator strength [cf. Eq. (31) of Ref. 11]

$$D_{\mathbf{X}-\mathbf{A}}(\mathbf{R}) = \left(\frac{3he^2}{8\pi^2 m \nu_{\mathbf{X}-\mathbf{A}}(\mathbf{R})} \frac{g_{\mathbf{X}}}{g_{\mathbf{A}}} f_{\mathbf{X}-\mathbf{A}}\right)^{1/2}$$
(1)

and similarly for $D_{X-B}(R)$; $\nu_{X-A}(R)$ is the X - A transition frequency, g_X and g_A are the statistical weights, f_{X-A} is the X - A absorption oscillator strength, and e, h, and m have their usual meaning. Introducing the atomic oscillator strength F, I postulate (see discussion below)

$$f_{\mathbf{X}-\mathbf{A}} + f_{\mathbf{X}-\mathbf{B}} = 2F, \tag{2}$$

$$f_{\boldsymbol{X}-\boldsymbol{B}}/f_{\boldsymbol{X}-\boldsymbol{A}}=2,$$
(3)

solve for f_{X-A} and f_{X-B} and substitute these into Eq. (1). The following numerical values have been used: $g_X = 1$, $g_A = 1$, $g_B = 2$, F = 0.753 for Li 2s - 2p, ¹² and F = 0.982for Na 3s - 3p.¹³ $\nu(R)$ has been taken from *ab initio* Li₂ and Na₂ calculations. 2,14,15 It is evident from Figs. 1(a) and 1(b) that Eq. (1) with the oscillator strengths defined by Eqs. (2) and (3) represents a good fit to the numerical values of D(R). In particular the maximum of $D_{X-A}(R)$ is apparently associated with the minimum of $v_{\mathbf{X}-\mathbf{A}}(\mathbf{R})$, i.e., with the classical satellite of X - A. It should be noted that the agreement between the D(R)data points and D(R) curves in Figs. 1(a) and 1(b) is still reasonably good if the D(R) curves are obtained by taking $\nu(R)$ from experimental potential curves.^{8,16-19} The largest differences then occur for $Na_2 X - B$, where they amount to no more than 8%. Such differences are probably not much larger than the uncertainties in the ab initio and pseudopotential values of D(R).

Ab initio D(R) and $\nu(R)$ values are also available for the transition ${}^{3}\Sigma_{u}^{*} - {}^{3}\Sigma_{e}^{*}$ in Na₂ and Li₂. 5,20,21 In this case the discrepancy with Eq. (1) is small ($\leq 6\%$) for Na₂; it is rather large²² ($\leq 30\%$) for Li₂ although in that case the *shape* of the D(R) curve is still qualitatively well described by Eq. (1).

The good fit of Eq. (1) to $D_{X-A}(R)$ and $D_{X-B}(R)$ for Li₂ and Na₂ suggests application of Eqs. (1)-(3) to the case of K₂, for which no theoretical or experimental D(R)values are available. Substitution of $F = 1.02^{13}$ and taking $\nu(R)$ from experimental potential curves^{23,24} yields D(R)curves for K₂ shown in Fig. 1(c).²⁵

Finally, I touch briefly upon the physical implications of the apparent validity of Eqs. (2) and (3) for dimer transitions which asymptotically $(R \rightarrow \infty)$ correspond with allowed atomic transitions. A priori, Eq. (2) is rigorously valid for $R \rightarrow \infty$; in that limit the factor of 2 is due to the fact that either the one or the other atom of the dimer can make the transition considered. Equation (2) can be approximately justified for smaller values of Rby simple sum rule considerations.¹¹ Equation (3) is likewise rigorously valid for $R \rightarrow \infty$, when the dominant interatomic interaction is by resonant dipole-dipole forces. In that limit, discussed by Movre and Pichler,⁹