# Rotational analysis of the BaI $C^{2}\Pi - X^{2}\Sigma^{+}(0, 0)$ band

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Received June 6, 1984

Rotational analysis of the Bal  $C^2\Pi - X^2\Sigma^+$  (0,0) band system has been performed using molecular beam and laser spectroscopic techniques. This band is free from local perturbations, although significant interaction of the  $C^2\Pi$  state with several other  ${}^{2}\Sigma^+$  states is indicated. The spin-orbit ordering of the C state is confirmed to be regular, while the A-doubling parameters p and q are opposite in sign. Apparent anomalies in the line strengths of various rotational branches in the two spin-orbit sub-bands are related to observed differences in the hyperfine structure of the C-state spin-orbit components.

On a effectué une analyse rotationnelle du système de bandes  $C^2\Pi - X^2\Sigma^+$  (0,0), en utilisant des techniques de faisceaux moléculaires et de spectroscopie laser. Cette bande est exempte de perturbations locales, bien qu'elle présente des signes d'une interaction importante de l'état  $C^2\Pi$  avec plusieurs autres états  ${}^{2}\Sigma^+$ . La régularité de l'ordre spin-orbite de l'état *C* est confirmée, alors que les paramètres *p* et *q* du doublement  $\Lambda$  sont de signes opposés. Les anomalies apparentes de l'intensité des raies de diverses branches rotationnelles dans les deux sous-bandes spin-orbite sont reliées aux différences observées dans la structure hyperfine des composantes spin-orbite de l'état *C*.

[Traduit par le journal]

Can. J. Phys. 62, 1467 (1984)

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#### 1. Introduction

Often the question is raised as to whether lasers are truly a revolution in spectroscopy or whether they represent instead answers in search of new questions. Certainly for the study of very high resolution spectra, such as the measurement of hyperfine splittings, laser methods are often essential to reveal features otherwise hidden in the Doppler line profile. It is less obvious, on the other hand, that laser techniques compete as effectively with the traditional photographic plate techniques so elegantly practiced by Herzberg and others (1), especially when one is rotationally analyzing optical band systems in which sub-Doppler methods are not required.

Clearly in some cases, such as NO<sub>2</sub>, where the rotational structure of the band is open but not regular, traditional methods can be powerfully augmented by laser techniques such as dispersed laser-induced fluorescence (LIF), which simplifies the assignment procedure (2). In this paper, we are concerned with the  $C^2\Pi - X^2\Sigma^+$  band system of the diatomic molecule Bal, centered at approximately 5500 Å (3-6). This system presents a different challenge to traditional spectroscopic approaches, that of extremely congested rotational structure due to the exceedingly high line density present in this band system. This congestion results not only from the very small rotational constant of such a heavy molecule, but also from extensive overlapping of vibrational sequences, and spin-rotation doubling,  $\Lambda$ 

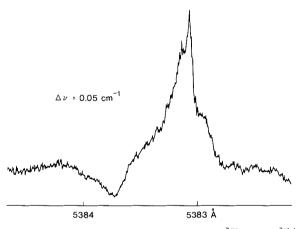


FIG. 1. An excitation spectrum of the  $C^2 \Pi_{3/2} - X^2 \Sigma^+$ (0,0) band of BaI taken using a molecular beam source and a laser bandwidth of 0.05 cm<sup>-1</sup>.

doubling, and hyperfine splitting of the rotational levels involved.

The problems inherent in the analysis of the BaI C-X band are illustrated in Fig. 1, which presents an excitation spectrum of the (0, 0) band taken using a molecular beam source and a laser bandwidth of approximately 0.05 cm<sup>-1</sup>, comparable to the Doppler width obtained in flame sources operating around 600 K. No isolated rotational features can be seen at this bandwidth, completely precluding a satisfactory rotational analysis. The line density to the blue side of the origin exceeds 200 lines/cm<sup>-1</sup> (excluding hyperfine transitions) so that BaI presents an interesting case in which sub-Doppler techniques, usually reserved for the study of hyperfine structure, must now be employed

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just to observe the rotational structure of the band.

To obtain an assignment of the C-X band, we employed a novel version of the optical-optical double resonance technique that takes advantage of the phase relationships between double resonance transitions having either upper or lower rotational states in common with a particular "labeled" rotational transition (6). This task was simplified even further owing to the reduction of the Doppler widths afforded by performing the double resonance experiment on a collimated molecular beam of Bal. In this paper we present the spectroscopic data obtained by analysis of our previous measurements and report the spectroscopic constants that result from the reduction of the data.

Prior to this study, analysis of the Bal visible spectrum has been restricted to band head measurements, first by Walters and Barratt (4) and later refined by Patel and Shah (5).<sup>3</sup> Also, the overlapping  $A^2\Pi - X^2\Sigma^+$  and  $B^2\Sigma^+ - X^2\Sigma^+$  systems have been found by Bradford *et* al. (7) and are observed to lie approximately 10 000 cm<sup>-1</sup> above the ground state. The location of the lowest <sup>2</sup> $\Delta$  state is still unknown, although a <sup>2</sup> $\Delta$  state has recently been found for BaCl and it lies below the  $A^2\Pi$ state (8). The  $C^2\Pi - X^2\Sigma^+$  band is of particular interest, since issues concerning the molecular orbital structure of alkaline earth monohalides hinge on the values of  $\Lambda$ -doubling and hyperfine parameters in the C state. Such detailed information is not presently available for any alkaline earth-monohalide  $C^2 \Pi$  states, although the rotational constants,  $B_0$  and  $D_0$ , have been reported for the CaCl  $C^2\Pi$  state (9). We present here assignments of over 400 rotational transitions within the C-X(0,0)band and report for the first time a set of rotational constants for the Bal C and X states.

#### 2. Experimental

The optical-optical double resonance (OODR) assignment methods and experimental apparatus are described in an earlier publication (6). Additional details of the OODR methods used here will be presented in a forthcoming publication (Johnson and Zare, manuscript in preparation). Briefly, Bal was formed in a molecular beam by heating Ba and Bal<sub>2</sub> in a stainless steel crucible to approximately 1300 K. The beam was then collimated to yield Doppler widths between 20 and 150 MHz, depending on the particular experimental needs. Single-mode continuous wave (CW) dye lasers (Coherent 599-21) operating with rhodamine 110 provided a power of approximately 50 mW in each subband for double resonance spectra, while lower powers  $(\sim 10 \text{ mW})$  were used for high-resolution excitation spectra to reduce the effects of power broadening. Frequency measurements of rotational transitions assigned via double resonance were then obtained by measurement of line centers from the excitation spectra, using fringes from a 300-MHz etalon to interpolate between frequencies of  $I_2$  reference lines (10). This provided a measurement accuracy of ~±0.002 cm<sup>-1</sup>.

Additional assignments within a few rotational branches were provided in two ways. Owing to large differences in the hyperfine structure of rotational branches in the  $C^2\Pi_{1/2^-} - X^2\Sigma^+$  sub-band discussed below, progressions in both the  $Q_{1^-}$  and  $Q_{12}$ -branches were easily identified. Thus, once the double resonance assignments were made for a few transitions in these branches, it was possible to immediately assign more than 70 lines in each.

The analogous extensions of the OODR assignments in the  $R_1$ - and  $P_{12}$ -branches were carried out by applying selectively detected laser-induced fluorescence (SDLIF) (11) to the Bal molecular beam. In this case an Interactive Technology 3/4-m monochromator with 150-µm slits was used to isolate fluorescence in the  $Q_1 + R_{12} (P_1 + Q_{12})$ -branches, which results from excitation of transitions in the  $P_{12}$  $(R_1)$ -branch. Scanning the excitation laser through the  $P_{12}$  (or  $R_1$ )-branch thus produces the SDLIF spectrum of that branch, as illustrated in Fig. 2. Standard photon counting techniques were used, with the analog signal obtained from a rate meter displayed on an x-yrecorder. With this arrangement, count rates on the peak of Bal transitions were on the order of 300 counts/s.

#### 3. Results

3.1 Appearance of the spectrum

The vibrational structure of the  $C^2\Pi - X^2\Sigma^+$  band is dominated by two sub-bands (5),  $C^2 \Pi_{1/2} - X^2 \Sigma^+$  at 5612 Å and  $C^2\Pi_{3/2} - X^2\Sigma^+$  at 5383 Å, hereafter referred to as  $C_1 - X$  and  $C_2 - X$ , respectively. Only the  $\Delta v = 0$  sequences are observed at low v (v < 10), and both sub-bands appear identical at low resolution  $(\sim 1 \text{ cm}^{-1})$ , showing band heads of the  $\Delta v = 0$  sequences evenly separated by about 6.1 cm<sup>-1</sup>. At low v, the band heads are formed shaded to the red side opposite to the behavior observed at high v (v > 25) where the heads are shaded to the blue side (12). Analysis of these band heads has been performed by other workers up to high vibrational levels in the C-X band (4, 5). However, extrapolation of band head behavior based on the rotational analysis of the (0, 0) band presented here, in conjunction with detailed LIF studies of reactively formed Bal, has made it possible to correct some of these vibrational assignments (12). These studies have revealed strong evidence for predissociations of the C state and will be presented in a later publication.

As seen in Fig. 1, a clear dip occurs in the (0, 0) band

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<sup>&</sup>lt;sup>3</sup>M. M. Patel, private communication.

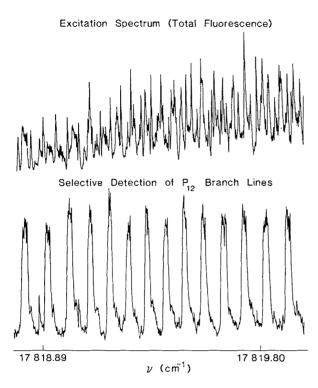


FIG. 2. Selective detection of  $P_{12}$ -branch fluorescence observed in a particularly congested region of the  $C^2 \Pi_{1/2} - X^2 \Sigma^+$  band of Bal. The upper trace shows a 30-GHz scan of the excitation spectrum. The lower trace shows individual  $P_{12}$ -branch transitions observed when the excitation laser is scanned through this same region in the selective detection experiment. Partially resolved hyperfine structure is apparent in many of the  $P_{12}$ -branch transitions.

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near the vibronic origin with the band head forming about 2  $\text{cm}^{-1}$  to the blue side. Typical 15-GHz segments of the high-resolution, sub-Doppler excitation spectra used in the analysis are shown in Fig. 3. These spectra are centered approximately 4 cm<sup>-1</sup> to the red side of the origin of each sub-band and are representative of the best resolved regions in each. It should be noted that in many cases observed "lines" are actually blends of two or three rotational transitions. At this resolution ( $\sim 0.005 \text{ cm}^{-1}$ ), however, the two spin-orbit sub-bands exhibit qualitatively different excitation spectra. The  $C_1 - X$  sub-band is dominated by a clear  $\hat{Q}_{12}$ -branch progression, while in the  $C_2 - X$  sub-band both transitions originating from the  $X^2 \Sigma^+$  spin-rotation levels  $(Q_2 \text{ and } P_{21})$  are observed. These  $Q_2$ - and  $P_{21}$ -branch transitions form an equally characteristic pattern in the  $C_2 - X$  sub-band, where coincidences in line positions produce a regular "interference" pattern that repeats itself at approximately 1-cm<sup>-1</sup> intervals.

Representative SDLIF spectra are shown in Fig. 2, where the upper trace shows a 30-GHz segment of a

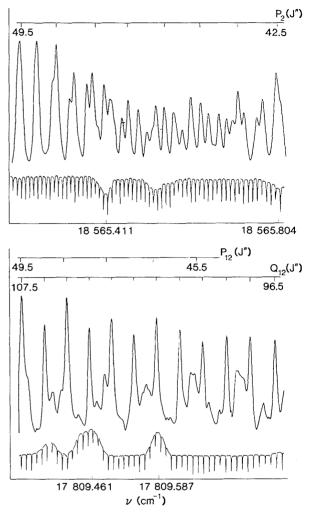


FIG. 3. A comparison of 15-GHz segments of the least congested regions of the  $C^2\Pi_{3/2} - X^2\Sigma^+$  (top) and  $C^2\Pi_{1/2} - X^2\Sigma^+$  (bottom) (0, 0) band excitation spectra. Both spectra are centered approximately 4 cm<sup>-1</sup> to the red side of their respective band origins. The corresponding  $I_2$  fluorescence spectrum and 300-MHz etalon fringes used for frequency calibration are included below each spectrum.

particularly congested region in the  $C_1 - X$  sub-band and the lower trace shows the selectively detected  $P_{12}$ -branch transitions that are observed when the laser is scanned through this same region in the SDLIF experiment. The structure observed in each  $P_{12}$  line is due to partially resolved hyperfine splitting, which has been completely resolved by additional collimation of the molecular beam as shown in Fig. 4. Thus, each  $P_{12}$ -branch line is asymmetrically broadened to a total line width on the order of 600 MHz (0.02 cm<sup>-1</sup>).

Hyperfine structure similar to that in the  $P_{12}$ -branch is observed in the  $P_{1-}$  and  $R_1$ -branches of the  $C_1 - X$ sub-band. However, the  $Q_{1-}$  and  $Q_{12}$ -branches exhibit

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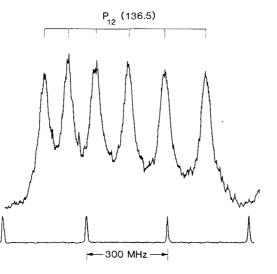


FIG. 4. A Doppler-free, selectively detected excitation spectrum of the  $P_{12}$ -(136.5) transition observed using a highly collimated molecular beam of Bal. All six hyperfine components arising from the <sup>127</sup>I nuclear spin (I = 5/2) are clearly resolved.

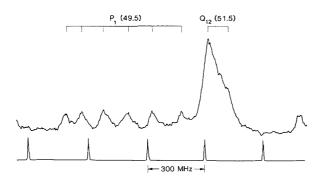


FIG. 5. Doppler-free selectively detected excitation spectra of adjacent  $Q_{12}$ - and  $P_1$ -branch transitions. The different hyperfine splittings observed here arise primarily from "hyperfine doubling" interactions in the  $\Omega = 1/2$  spin-orbit component of the *C* state.

distinctly different hyperfine structure. This difference is clearly evident in Fig. 5, where adjacent  $Q_{12}$ - and  $P_1$ -branch lines have completely different hyperfine splittings. Within the  $C_2-X$  sub-band, however, the hyperfine structure is essentially identical for all six rotational branches.

The hyperfine problem has been studied in detail and will be treated in a future publication (McKillop, Noda, and Zare, to be published), but several results are relevant to the present discussion. First, the sub-band dependent hyperfine splittings observed here arise from different hyperfine structure within the two spin-orbit components of the C state. The high-J hyperfine splittings observed in the  $C_2-X$  transitions arise primarily

from the difference between electric quadrupole splittings in the ground and excited states and ground state electron-spin – nuclear-spin interactions. Within the  $C^2\Pi_{1/2}$  spin-orbit component, however, additional "hyperfine doubling" interactions introduce paritydependent hyperfine splittings (13). These result in significant branch dependence of the hyperfine structure in the  $C_1 - X$  sub-band. The major effect of this is evident in the spectra shown in Fig. 3. The blending of hyperfine components within the Q-branches and large splittings of the hyperfine components within the P- and R-branches of the  $C_1 - X$  sub-band cause the Q-branch lines to appear even more prominent than one might expect in a normal  ${}^{2}\Pi$  (case (a))  $-{}^{2}\Sigma^{+}$  transition.

This parity-dependent splitting also introduces asymmetric and branch-dependent shifts in the apparent line centers of these transitions that are significant compared with the line separation within a given branch. In this analysis, the line center was typically taken as the peak or apparent center of a given transition. Thus, it was necessary to correct for the hyperfine offsets in the  $C_1 - X$  sub-band in order to obtain a set of spectroscopic constants that provide a global fit for the data.

An estimate for this correction was obtained by using the Frosch and Foley parameters (13), resulting from the hyperfine analysis (13), to simulate the overall rotational line profile with a phenomenological Lorentzian line width of ~60 MHz (full width half maximum (fwhm)) for each hyperfine transition. From this simulation it was possible to estimate the apparent line center of the transition and to compare this with the actual center of gravity of the hyperfine multiplet, thus providing an estimate for the hyperfine offset. Owing to problems inherent in such a subjective correction, we estimate that the accuracy of the "line center" measurements reported here are on the order of  $\pm 0.005$  cm<sup>-1</sup>.

The measured line positions (corrected for hyperfine offsets) are collected in the Appendix. Technical difficulties, due to reduced dye efficiency and poorer laser performance in the  $C_2-X$  sub-band, resulted in the measurement of only 60 lines in this sub-band, while 369 lines are included in the  $C_1-X$  sub-band.

#### 3.2 Least squares fit

The line positions were fit to the usual  ${}^{2}\Pi - {}^{2}\Sigma^{+}$ Hamiltonian using the LINFIT nonlinear least squares program (14). To indicate the overall quality of the fit, the residuals (observed – calculated) are plotted for all rotational branches of each sub-band in Figs. 6 and 7. The standard deviation of the overall fit was 2.00 ×  $10^{-3}$  cm<sup>-1</sup> and the residuals shown in Figs. 6 and 7 appear free from any serious systematic deviations other than what might be expected owing to problems with the correction for hyperfine offsets. Most line pos-

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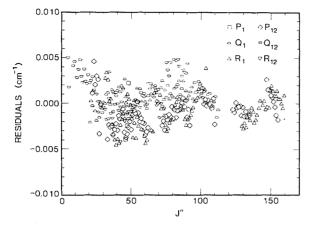


FIG. 6. Residuals between the observed and calculated line positions for the Bal  $C^2\Pi_{1/2} - X^2\Sigma^+$  (0,0) band.

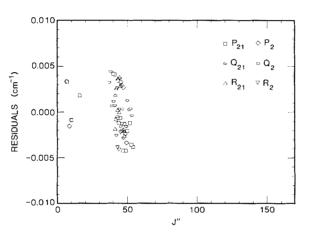


FIG. 7. Residuals between the observed and calculated line positions for the Bal  $C^2 \Pi_{3/2} - X^2 \Sigma^+$  (0,0) band.

itions are reproduced to within the standard deviation of the fit, which essentially corresponds to our estimates of the overall measurement uncertainty.

The least squares constants obtained from this fit are collected in Table 1. The removal of any of these constants causes a significant increase in the standard deviation of the fit, while the inclusion of additional parameters (third-order distortion constants, distortion corrections for spin-orbit and  $\Lambda$ -doubling interactions, or phenomenological spin-rotation interactions in the *C* state) did not significantly decrease the standard deviation of the fit. Thus, the constants presented here should be considered as the minimal data set required to reproduce the experimental line positions.

It should also be pointed out that the spin-orbit coupling constant, A, is totally correlated with the  $\Lambda$ -doubling parameter, o. Thus, only the sum of A and o may be uniquely determined. The value of A reported

TABLE 1. Spectroscopic constants of the Bal  $C^2\Pi - X^2\Sigma^+$  (0, 0) band (in cm<sup>-1</sup>). Numbers in parentheses are 20 uncertainties 18 178.310(83)  $\nu_0$ A'756.10(17) + 0  $A'^*$ 782.10(17) B' $2.6727(15) \times 10^{-2}$  $D^{\prime}$  $2.16(19) \times 10^{-9}$ -26.00 o'P  $7.107(48) \times 10^{-3}$ q' $-9.6(2.9) \times 10^{-5}$  $2.67548 \times 10^{-2}$ B''2.44(19)×10<sup>-9</sup> D''

\*Calculated using pure precession model (see ref. 14).

 $2.505(21) \times 10^{-3}$ 

in Table 1 is estimated using pure precession relations to calculate the value of o. However, pure precession is a poor description for the  $C^2\Pi$  state (as will be discussed later). Therefore, great care should be taken when attaching physical meaning to constants determined in such a fit (14).

#### 4. Discussion

### 4.1 Rotational and centrifugal distortion constants

The observed rotational constants for the v = 0 level of the X and C states (0.02675 and 0.02673 cm<sup>-1</sup>, respectively) are generally in accord with those expected via extrapolation from the other alkali and alkaline earth halides. For instance, the  $B_0$  value of the X state is estimated to be 0.0270 cm<sup>-1</sup> (12) from bond length extrapolation using trends in the alkali halides and the estimated rotational constant of BaBr (15). The distortion constants are of the same order of magnitude as predicted by the Pekeris relations using the vibrational frequencies of Patel and Shah (5) (2.4 ×  $10^{-9}$  exptl. vs.  $3=\times 10^{-9}$  cm<sup>-1</sup> calc.)

#### 4.2 Spin splitting of the C state

Historically, the marked halogen dependence of the spin-orbit splitting in the BaX C state has caused some uncertainty regarding the nature of its molecular orbital description. Generally this splitting increases from BaF  $(A \sim 200 \text{ cm}^{-1})$  to BaI  $(A \sim 750 \text{ cm}^{-1})$  (16). We observe here, both through the direct probing of the branch origins (6) and through the A-doubling behavior, that the C state in BaI is definitely regular, as predicted for a predominantly metal-centered molecular orbital. The CaCl  $C^2\Pi$  state was similarly observed to have a regular spin-orbit ordering (9). Thus, a direct mapping of the halogen spin-orbit splitting onto the C state of BaI would not account for the spin-orbit ordering the nature of unpaired electron-spin density in

the Bal molecule, especially at the Ba nucleus, will be necessary to clarify the origin of this splitting.

#### 4.3 $\Lambda$ -Type doubling and spin-rotation splitting

The ground states of MX systems are expected to be largely ionic  $(M^+X^-)$  in character with a valence electron occupying a nonbonding orbital centered predominantly on the metal atom (17). Transitions to excited electronic states correspond primarily to the promotion of this nonbonding electron to higher lying nonbonding orbitals that are also metal centered. It has thus been tempting to use pure precession relationships to understand the  $\Lambda$ -doubling, hyperfine, and spin-rotation splittings observed in these systems (18). The pure precession relationships require, however, that the sign of the p and q  $\Lambda$ -doubling parameters be the same for a regular <sup>2</sup> $\Pi$  state. Here we find that  $p = 7.11 (\pm 0.05)$  $\times 10^{-3}$  cm<sup>-1</sup> and  $q = -9.6 (\pm 2.9) \times 10^{-5}$  cm<sup>-1</sup>, so that the pure precession relationship does not hold for the case of the Bal C state. Such a situation is not uncommon in the alkaline earth halides, however, and has been observed in the  $A^2\Pi$  state of Cal, where the interaction is occurring with a nearby  ${}^{2}\Sigma^{+}$  state (19), and in BeF where the  $A^2\Pi$  state is regular, while p and q are opposite in sign (20). The failure of pure precession to account for the observed values of p and qindicates that the value of o calculated using these relationships has little physical significance.

Since the spin uncoupling parameter Y = A/B is on the order of  $3 \times 10^4$  for the *C* state of BaI, Hund's case (a) behavior is expected to be valid well beyond the highest rotational levels measured here (1). Thus,  $\Lambda$ doubling is anticipated to be more significant in the  $\Omega = 1/2$  state than in the  $\Omega = 3/2$  state, as is observed. The magnitude of the observed  $\Lambda$ -doubling parameters also suggests significant interaction by one or more  ${}^2\Sigma^+$ states with the  $\Omega = 1/2$  component of the *C* state. Further evidence for such an interaction is provided by the magnitude of the hyperfine doubling interaction in the  $C^2\Pi_{1/2}$  state (13), although additional measurements on the *X*-state hyperfine structure will be required before this can be verified.

While the above discussion of the  $\Lambda$  doubling casts doubt on the validity of applying pure precession relations to the BaI molecule, it is perhaps worth pointing out that the magnitude and sign of the observed spin-rotation constant,  $\gamma$ , in the  $X^2\Sigma^+$  state is also not consistent with a pure precession interaction with any known <sup>2</sup> $\Pi$  state.

#### 5. Conclusions

The (0, 0) band of the Bal  $C^2\Pi - X^2\Sigma^+$  system has been rotationally analyzed using both molecular beam optical-optical double resonance and molecular beam selectively detected laser-induced fluorescence techniques. The spectra are unperturbed and the observed rotational constants (*B* and *D*) are essentially the same as predicted by extrapolation from the known behavior of related molecules. The spin-orbit splitting of the *C* state is regular, as was previously assumed. The  $\Lambda$ -doubling interactions indicate, however, that the  $C^2\Pi_{1/2}$  spin-orbit state is strongly interacting with several  ${}^{2}\Sigma^{+}$  states. This conclusion is supported by the observed hyperfine structure. More detailed hyperfine studies of this system will be required to establish further the nature of the molecular orbitals involved in the Bal *C* state, however, and to explain the spin-orbit and  $\Lambda$ -doubling behavior observed in this state.

#### Acknowledgement

We would like to thank C. R. Webster for his valuable help. We would also like to thank the San Francisco Laser Center for the loan of their equipment. This work was supported by the National Science Foundation under Grant NSF CHE 80-06524 and the Air Force Office of Scientific Research under Grant AFOSR F49620-83-C-0033.

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# Appendix

Assignments and measured line positions of transitons in the Bal  $C^{2}\Pi = X^{2}\Sigma^{+}(0,0)$  band

J <b>"</b>	P1	P12	Q1	Q12	Rl	R12
4.5				17813.117		
5.5				17813.086		
8.5				17812.996		
9.5				17812.969	·	
1.5				17812.906		
2.5	~			17812.875		
3.5				17812.844		
4.5				17812.812		
5.5				17812.781		
6.5				17812.750		
7.5			<b>-</b>	17812.719		
8.5				17812.684		
9.5				17812.652		
0.5			17813.832	17812.621		
21.5			17813.859	17812.590		
2.5		17811.512	17813.887	17812.559		
3.5		17811.434	17813.914	17812.523		
4.5		17811.352	17813.937			
5.5		17811.273	17813.961	17812.457		
6.5		17811.195	17813.988	17812.422		
7.5		17811.109	17814.012	17812.391		
8.5		17811.031	17814.035	17812.355		
9.5			17814.059	17812.320		
0.5			17814.086	17812,289		
1.5			17814.109	17812.254	17815.621	
2.5			17814.133	17812.219	17815.691	
3.5		17810.629	17814.156	17812,187	17815.762	
4.5		17810.551	17814.184	17812.152	17815.828	
15.5		17810.469	17814.203	17812,117	17815.898	
6.5		17810.387	17614.230	17812.082	17815.965	
17.5		17810.305	17814.254	17812.051	17816.035	
8.5		17810.227	17814.273	17812.016	17816.102	
9.5		17810.145	17814.297	17811.980	17816.172	
0.5		17810.062	17814.320	17811.945	17816.242	
1.5		17809.980	17814.344	17811.910	17816.309	
2.5		17809.898	17814.367	17811.875	17816.383	17814.49
3.5			17814.391	17811.840	17816.449	17814.52
4.5		17809.738	17814.410	17811.801	17816.520	17814.5
5.5		17809.652	17814.434	17811.766	17816.586	17814.5
6.5	17811.648	17809.570	17814.453	17811.730	17816.656	
47.5	17811.609	17809.488	17814.473	17811.695	17816.727	

# JOHNSON ET AL.

# **APPENDIX** (Continued)

J*	Pl	P12	Ql	Q12	Rl	R12
48.5	17811.574	17809.406	17814.496	17811.656	17816.793	
49.5		17809.324	17814.520	17811.621	17816.859	
50.5		17809.238	17814.539	17811.586	17816.926	
51.5		17809.160	17814.559	17811.551	17816.992	
52.5		17809.074	17814.582	17811.512	17817.062	
53.5		17808.992	17814.602	17811.477	17817.129	
54.5		17808,910	17814.625	17811.437	17817.195	
55.5		17808.824	17814.645	17811.402	17817.262	
56.5		17808.742	17814.664	17811.363	17817.332	
57.5		17808.656	17814.684	17811.328	17817.395	
58.5		17808.574	17814.707	17811.289	17817.461	
59,5		17808.488	17814.727	17811.250	17817.527	
60.5		17808.402	17814.746	17811.211	17817.594	
61.5		17808.320	17814.766	17811,176	17817.660	
62.5		17808.234	17814.785	17811.137		
63.5			17814.805	17811.098		
64.5			17814.824	17811.062	17817.855	
65.5			17814.844	17811.020	17817.922	
66.5			17814.863	17810.980	17817.992	
67.5			17814.883	17810.945	17818.059	
68.5			17814.898	17810.902	17818.121	
69.5			17814.918	17810.863	17818.187	
70.5			17814.937	17810.824	17818.250	
71.5			17814.957	17810.785	17818.316	
72.5		17807.383	17814.977	17810.746	17818.379	
73.5		17807.297	17814.992	17810.703	17818.441	
74.5		17807.211	17815,012		17818.504	
75.5		17807.125	17815.027	17810.629	17818.570	
76.5		17807.039	17815.047	17810.590	17818.633	
77.5		17806.953	17815.062	17810.547	17818.699	<b>-</b>
78.5		17806.863	17815.078	17810.508	17818.762	
79.5		17806.781	17815.098		17818.824	
80.5		17806.691	17815.113	17810.430	17818.891	
81.5		17806.605	17815.133	17810.387	17818.953	
82.5		17806.516	17815.148	17810.348	17819.016	
83.5		17806.430	17815.164	17810.305	17819.078	
84.5		17806.344	17815.184	17810.262	17819.141	
85.5		17806.258	17815,199		17819.203	<b>-</b>
86.5		17806.168	17815.215	17810.180	17819.266	
87.5		17806.082	17815.230	17810.137	17819.328	
88.5		17805.992	17815.246	17810.098	17819.391	

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# APPENDIX (Continued)

J <b>*</b>	Pl	P12	Q1	Q12	Rl	R12
89.5		17805.906	17815.262	17810.055	17819.449	
90.5		17805.816	17815.277	17810.012	17819.512	
91.5		17805.730	17815.293		17819.574	
92.5		17805.637	17815.309		17819.637	
93.5			17815.324		17819.699	
94.5			17815.340		17819.762	
95.5			17815.355		17819.820	
96.5			17815.371		17819.883	
97.5			17815.387		17819.945	
98.5			17815.402		17820.008	
99.5			17815.414		17820.066	
100.5			17815.430		17820.129	
101.5			17815.445		17820.187	
102.5		17804.750	17815.461		17820.250	
103.5		17804.664	17815.473		17820.312	
104.5		17804.570	17815.484			
105.5		17804.484	17815.500			
106.5		17804.395	17815.516			
107.5		17804.301	17815.527			
108.5		17804.211	17815,539			
109.5		17804.125	17815.555			
110.5		17804.031	17815.570			
111.5			17815.578			
112.5			17815.594			
123.5	<b>-</b>	17802.848				
124.5		17802.758				
125.5		17802.668				
126.5		17802.574				
127.5		17802.480				
128.5		17802.391				
129.5		17802.297			17821.824	
130.5		17802.207			17821.883	
131.5		17802.113			17821.937	
132.5		17802.020			17821.996	
133.5		17801.930			17822.055	~
134.5		17801.836			17822.109	
135.5		17801.742			17822.164	
136.5					17822.223	
137.5					17822.277	
138.5					17822.332	
139.5					17822.391	
140.5			<b></b>		17822.445	



# JOHNSON ET AL.

# APPENDIX (Concluded)

J"	P1	P12	Q1	Q12	R1	R12
41.5					17822.504	
142.5					17822.559	
44.5					17822.658	
145.5					17822.727	
146.5					17822.781	
47.5		17800.629			17822.836	
48.5		17800.535			17822.891	
149.5		17800.441			17822.945	
50.5		17800.348			17823.004	
151.5		17800.254			17823.055	
152.5		17800.160			17823.109	
53.5		17800.066			17823.164	
154.5		17799.973			17823.219	
155.5		17799.875			17823.273	
156.5					17823.328	
57.5					17823.383	
150.5					17823.434	
159.5	•		<b></b>		17823.492	
J"	P21	P2	Q21	Q2	R21	R2
6.5		18568.785				
7.5	18569.113					
8,5		18568.617				
10.5	18569.020					
16.5	18568.844					
37.5				18568.238		
38,5				18568.207		
39.5				18568.172		
40.5	18568.074			18568.141 🥃		
41.5	18568.039		18570.250	18568.109	18572.516	
42.5	18568.000		18570.270	18568.074	18572.594	
43.5	18567.969	18565.727	18570.289	18568.043	18572.660	18570.41
44.5	18567.934	18565.641	18570.309	18568.012	18572.734	18570.43
45.5	18567.898	18565.555	18570.328	18567.980	18572,809	18570.45
46.5	18567.863	18565.469	18570.344	18567.945	18572.875	
47.5	18567.824	18565.383	18570.359	18567.914	18572.949	

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18567.848

18567.820

18567.785

18567.754

18567.719

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18573.020

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49.5

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52.5

53.5

54.5

18567.793

18567.754

18567.723

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18567.652

18567.613

18567.578

18565.293

18565.207

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